BALABHADRA SKILL DEVELOPMENT ACADEMY MATHS FORMULA - 21

PROBABILITY

| SI | Situation | Formula |
|----|--|------------------------------------|
| 1 | The experiment which have only one | |
| | possible result or outcomes i.e. whose | , |
| | result is certain or unique is called a | |
| | or experiment. | |
| 2 | An experiment in which all the | |
| | outcomes are known in advance but the | Dandon |
| | specific outcome that will occur is not | Random |
| | known, is called a experiment. | |
| 3 | The set of all possible outcomes in a | 150 |
| | random experiment is known as, | Sample space, S |
| | It is denoted by | - 5. |
| 4 | Each outcome of a sample space is a | *: ** |
| | | Sample Point |
| | <u> </u> | 25 |
| 5 | An event is subset of a sample space. | A={HH,TT}=Same denominations |
| | In tossing of two coins, | appear on the both the coins |
| | | and |
| | /2 | B={HT,TH}=Different |
| } | | denominations appear on both the |
| | | coins, Here A and B are two events |
| | | of the same sample space |
| 6 | An event having only a single sample | S={HH,HT,TH,TT} |
| | point is called a simple event. In tossing | E={HH} is a simple event |
| 7 | of two coins, An event other than a simple event is | S={HH,HT,TH,TT} |
| | called a compound event. In tossing of | E={HH,HT,TH} is a compound |
| | two coins | event |
| | | O' O' I'C |

| 8 | Two events A and B are said to be independent events. If the happeing (or non-happening) of any one event does not affect the happening (non-happening) of the other. If A and B are independent events, then | $P(A \text{ and } B) = P(A \cap B) = P(A).P(B)$ |
|----|---|---|
| 9 | A set of events is said to be mutually exclusive and exhaustive events. If events are exclusive as well as exhaustive. | $E_1 \cup E_2 \cup \cup E_n = S$ and $E_1 \cap E_2 \cap \cap E_n = \emptyset$ then these events are known as mutually exclusive and exhaustive events. |
| 10 | If from n events associated with a random experiment, m events are in favour of event E, then probability of event E is denoted by P(E) and | $P(E) = \frac{m}{n}$ So, it is clear that, $0 \le m \le n = 0 \le P(E) \le 1$ |
| 11 | Probability of non-occurrence of event E is denoted by $P(\overline{E})$, then | $P\overline{(E)} = \frac{n-m}{n} = 1 - P(E)$ |
| 12 | If in a random experiment, sample space is S and event $E \subseteq S$, then probability of occurrence of an event E, | $P(E) = \frac{n(E)}{n(S)}$ Where, n(E) is the number of sample points in E and n(S) is the number of sample points in S. |
| 13 | The probability of certain event is 1 and that of impossible event is 0 i.e. | $P(S)=1$ and $P(\emptyset)=0$ |
| 14 | | $P(E) = \frac{\text{Number of sample points in favour of E}}{\text{Total number of sample points}}$ $P(E) = \frac{m}{m+n}$ $=> P(E'_1 \cup E'_2) = 1 - P(E_1 \cap E_2)$ $=> P(E'_1 \cap E'_2) = 1 - P(E_1 \cup E_2)$ $=> P(E_1 \cap E'_2) = P(E_1) - P(E_1 \cap E_2)$ |
| 15 | If E_1 and E_2 are events associated with a random experiment, then probability of occurrence of E_1 or E_2 | $P(E_1 \cup E_2) = P(E_1) + P(E_2) - P(E_1 \cap E_2)$ Where, $P(E_1 \cup E_2)$ is the probability of occurrence of E_1 and E_2 |
| 16 | If E_1 and E_2 are mutually exclusive events, then | $P(E_1 \cup E_2) = P(E_1) + P(E_2)$ |

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